## Knapsack Backtracking Recursive

February 24, 2023
[12]:

```
from random import randint
capacity = 10
# items are (weight, value)
items = [(8,13), (3,7),(5,10),(5,10),(2,1),(2,1),(2,1)]
capacity = 22
items = [(randint(5,20),randint(5,20)) for _ in range(200)]
```

[13]:

```
# to help you write recursive functions, always plan out
# SUPER explicitly what the inputs and outputs are
# input:
# items_left: list of remaining items to choose from
# (at the start, all items are remaining)
# capacity_left: remaining capacity
# output:
# the best solution (as a list of 2-tuples) using just
# "items_left" with capacity <= "capacity_left"
def solve(items_left, capacity_left):
    # return the set of items in the best solution
    # print("call with",(items_left, capacity_left))
        #if not items_left:
        if len(items_left) == 0:
            return []
        # item = (weight, value)
        first_item_weight = items_left[0][0]
        sol_without_item = solve(items_left[1:], capacity_left)
        # if we have room for the first item, add it and recursively solve
        if first_item_weight <= capacity_left:
            sol_with_item = [items_left[0]] + solve(items_left[1:],\sqcup
    capacity_left-first_item_weight)
        else:
            # if not, then only possible solution is exclusing the item
```

```
        return sol_without_item
    # compare sol_with and sol_without, and return the best
    score_with = sum(item[1] for item in sol_with_item)
    score_without = sum(item[1] for item in sol_without_item)
    if score_with > score_without:
        return sol_with_item
    return sol_without_item
items = [(8,13), (3,7), (5,10)]
solve([(8,13),(3,7),(5,10)], 10)
    --> solve([(3,7),(5,10)], 10)
        --> solve([(5,10)], 10)
        solve([(5,10)], 7)
        vs
        solve([(3,7),(5,10)], 2)
```

[14]: solve(items, capacity)
$[14]:[(5,20),(5,19),(5,18),(7,20)]$
[ ]: $\qquad$
[ ]: $\square$

